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# Structure Determination of $\alpha$-Quartz up to $68 \times 10^{8} \mathbf{P a}$ 

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#### Abstract

High-pressure single-crystal structure determinations of $a$-quartz $\left(\mathrm{SiO}_{2}\right)$ have been performed up to $68 \times 10^{8} \mathrm{~Pa}$ using a new measuring procedure on an automatic four-circle diffractometer. The lattice constants have been determined up to $73 \times 10^{8} \mathrm{~Pa}$. The $a$ lattice constant decreases from $4.921(1)\left(10^{8} \mathrm{~Pa}\right)$ to $4.664(2) \AA\left(73 \times 10^{8} \mathrm{~Pa}\right)$ and the $c$ lattice constant from $5.400(4)\left(10^{8} \mathrm{~Pa}\right)$ to $5 \cdot 246(3) \AA\left(73 \times 10^{8} \mathrm{~Pa}\right)$. The $c / a$ ratio increases from 1.097 to $1.125\left(73 \times 10^{8}\right.$ Pa ). The volume change in this pressure range is about $13 \%$ and agrees with the elastic constants determined by ultrasonic measurements. The $\mathrm{SiO}_{4}$ tetrahedra are very incompressible up to $68 \times 10^{8} \mathrm{~Pa}$; the $\mathrm{Si}-\mathrm{O}$ bond distance and the $\mathrm{Si}-\mathrm{O}$ bond angle remain constant. The $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ angle decreases from $142\left(10^{8} \mathrm{~Pa}\right)$ to $132^{\circ}\left(68 \times 10^{8} \mathrm{~Pa}\right)$. The cross-section of the channels in the structure parallel to the $c$ axis becomes smaller up to $68 \times 10^{8} \mathrm{~Pa}$.


## Introduction

The phase diagram of $\mathrm{SiO}_{2}$ has been investigated many times, but all phase boundaries which have been found for high-pressure phases terminate in the temperature range 773-873 K (Böhler \& Arndt, 1974; Sato, 1976). Thus the stability region of the two high-pressure (and high-temperature) phases of $\mathrm{SiO}_{2}$, coesite and stishovite, have not been investigated at room temperature.

The last single-crystal structure determination of aquartz under normal conditions was performed by Le

Page \& Donnay (1976), but several structure determinations have been made before. The first highpressure studies on $\alpha$-quartz were done by McWhan (1967). He used X-ray powder methods and a solid pressure transmitting medium, NaCl . Up to $150 \times 10^{8}$ Pa he did not find any phase transformation, only a linear compression.

As a result of the recent developments in highpressure techniques, it is now possible to measure the X-ray intensities of single crystals under high hydrostatic pressure with an automatic four-circle diffractometer. In our case the high hydrostatic pressure was produced by a diamond anvil cell (Keller \& Holzapfel, 1977). However, this high-pressure cell restricts the measurable reciprocal space and causes considerable absorption effects on the intensity measurements. Therefore, we have developed a new software (Denner, Schulz \& d'Amour, 1978) to improve the intensity measurements.

We find a-quartz (low-quartz) to be a convenient compound to test this software, because it has the following properties:
(1) Easy to cut in any desired form, avoiding any difficulties concerning the preparation of the highpressure cell.
(2) Small unit cell and relatively high space-group symmetry, but not all atoms at fixed positions.

## Experimental

To apply high hydrostatic pressure, a diamond anvil cell, developed by Keller \& Holzapfel (1977) and adapted to an automatic four-circle diffractometer by (c) 1979 International Union of Crystallography

Denner, Dieterich, Schulz, Keller \& Holzapfel (1978), was used. The gasket material used was Inconel, which was prepressed to a thickness of about $80 \mu \mathrm{~m}$. The diameter of the gasket hole was $180 \mu \mathrm{~m}$. The crystals of a-quartz were cut into thin sheets of about $60 \mu \mathrm{~m}$ thickness perpendicular to the $c$ axis. The dimensions of the crystal investigated were $60 \times 60 \times 80 \mu \mathrm{~m}$. A CsCl crystal of similar dimensions was also put into the gasket hole. Using Decker's equation of state (Decker, 1971) the pressure was evaluated by the changes of the lattice constants of the CsCl crystal. The pressure transmitting medium was a $4: 1$ mixture of methanol: ethanol (Piermarini, Block \& Barnett, 1973) which gives hydrostatic pressure up to $100 \times 10^{8} \mathrm{~Pa}$.

The intensity measurements and the determination of the lattice constants were made on a Philips four-circle diffractometer using Mo $K<r$ radiation (graphite monochromator). A new high-pressure measuring procedure developed by Denner, Schulz \& d'Amour (1978) was used for the intensity measurements. The advantages and improvements of this new measuring procedure are:
(1) The overlapping of reflections of the sample and the CsCl crystal or the two diamond anvil crystals is avoided.
(2) Each reflection is measured at an optimized $\psi$ value.
(3) Each intensity is immediately corrected for possible absorption.
(4) The available space of the reciprocal lattice which can be measured is enlarged by measuring the reflections at $\psi \neq 0$ and not in the symmetrical setting.

150 reflections could be measured (about 15 were unobserved) in the $\omega$ scan mode up to $\sin \theta / \lambda=0.53$ $\AA^{-1}$. 60 of these were symmetry independent. This means, using this new software, about $40 \%$ of the whole reciprocal space up to $\sin \theta / \lambda=0.53 \AA^{-1}$ can be measured. Using the standard procedure with the symmetrical setting ( $\psi=0$ ) for the intensity measurements, only $30 \%$ of the whole reciprocal space ( $\sin \theta / \lambda$ $\leq 0.53 \AA^{-1}$ ) can be measured. The usual Lorentz and polarization corrections were applied.

At the highest pressure value ( $73 \times 10^{8} \mathrm{~Pa}$ ) only lattice constants have been determined and no structural computations have been performed, because more than $70 \%$ of the intensities collected were unobserved after application of Lorentz and polarization corrections.

The amount of twinning was estimated by the Le Page \& Donnay (1976) procedure and found to be negligible within experimental error. As start parameters the atom parameters given by Le Page \& Donnay (1976) and their space-group setting were used in the least-squares refinements.
The space group $P 3_{2} 21$ was used for all least-squares refinements, because there was no evidence that the space-group symmetry had changed. For all structural computations the programs of the XRAY system (1972) were used. All reflections had unit weights. The $R$ values ranged between $5.6 \%$ and $9.9 \%$ for all pressure sets.
In Table 1 the lattice constants for the different pressure values are given. In Fig. 1(a) the pressure dependence of the lattice constants is compared with the results of McWhan (1967), Figs. $1(b)$ and $1(c)$ show the pressure dependence of the $c / a$ ratio and the volume change in the pressure range up to $73 \times 10^{8} \mathrm{~Pa}$. The results of McWhan (1967) show a somewhat lower compressibility than our measurements. The changes of the lattice constants show that in the pressure range up to $73 \times 10^{8} \mathrm{~Pa}$

$$
\begin{aligned}
& \Delta a / a_{0}(\text { McWhan })<\Delta a / a_{0} \text { (this work) } \\
& \Delta c / c_{0}(\text { McWhan })>\Delta c / c_{0} \text { (this work). }
\end{aligned}
$$

Table 1. Lattice constants of a-quartz in the pressure range up to $73 \times 10^{8} \mathrm{~Pa}$

| $p\left(\times 10^{8} \mathrm{~Pa}\right)$ | $a(\AA)$ | $c(\AA)$ | $c / a$ | $V\left(\AA^{3}\right)$ |
| :--- | :---: | :---: | :---: | :---: |
| 0.001 | $4.921(1)$ | $5.400(4)$ | $1.097(1)$ | $113.2(1)$ |
| 19 | $4.832(2)$ | $5.347(4)$ | $1.107(1)$ | $108.1(1)$ |
| 37 | $4.765(2)$ | $5.296(3)$ | $1.112(1)$ | $104.2(1)$ |
| 54 | $4.731(2)$ | $5.280(2)$ | $1.116(1)$ | $102.4(1)$ |
| 60 | $4.704(3)$ | $5.261(4)$ | $1.118(2)$ | $100.8(1)$ |
| 68 | $4.684(2)$ | $5.252(3)$ | $1.121(1)$ | $99.8(1)$ |
| 73 | $4.664(2)$ | $5.246(3)$ | $1.125(1)$ | $98.8(1)$ |

Table 2. Atom parameters and isotropic temperature factors of 1 -quartz in the pressure range up to $68 \times 10^{8} \mathrm{~Pa}$

| Atom (Wyckoff notation) |  | $p\left(\times 10^{8} \mathrm{~Pa}\right)$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 0.001 | 19 | 37 | 54 | 60 | 68 |
| $\begin{aligned} & \mathrm{Si} \\ & (3 a)^{*} \end{aligned}$ | $x$ | $0 \cdot 472$ (2) | 0.463 (2) | 0.456 (1) | 0.456 (3) | 0.452 (3) | 0.449 (3) |
|  | $B\left(\AA^{2}\right)$ | 0.7 (3) | $0 \cdot 8$ (3) | 0.5 (2) | 1.0 (4) | $1 \cdot 0$ (4) | 0.9 (4) |
| $\begin{aligned} & \mathrm{O} \\ & (6 c)^{*} \end{aligned}$ | $x$ | 0.408 (4) | 0.409 (3) | 0.409 (3) | 0.412 (5) | 0.400 (6) |  |
|  | $y$ | 0.265 (4) | 0.279 (3) | 0.295 (3) | 0.302 (5) | 0.298 (5) | 0.301 (6) |
|  | ${ }^{z}$ | $0 \cdot 117(2)$ | $0 \cdot 107$ (2) | 0.101 (2) | 0.098 (3) | 0.095 (2) | 0.092 (3) |
|  | $B\left(\dot{A}^{2}\right)$ | 1.0 (5) | 0.9 (4) | 0.7 (4) | 1.2 (6) | 1.4 (7) | 0.3 (6) |

This gives a considerably lower change of the $c / a$ ratio for McWhan's than for our experiments. Probable reasons for these discrepancies are:
(1) No exact hydrostatic pressure for McWhan's experiments, because NaCl was the pressure transmitting medium.


Fig. 1. (a) Relative change of the $a$ and $c$ lattice constants of $a$ quartz compared with McWhan's (1967) results, (b) pressure dependence of the $c / a$ ratio of a-quartz, (c) pressure-volume relationship of aquartz. The solid line corresponds to a leastsquares fit of the measured data by a Birch equation of state.
(2) Only eight reflections were used to determine the lattice constants.

In Table 2 the refined atomic parameters for all pressure points are given; as can be seen the isotropic thermal parameters show no uniform tendency.*

## Results and discussion

$\alpha$-Quartz is built of $\mathrm{SiO}_{4}$ tetrahedra linked together so that every oxygen atom is common to two tetrahedra (common corner). The $\mathrm{SiO}_{4}$ tetrahedra are linked to helical chains parallel to the $c$ axis forming large open channels.
Bond distances and angles are tabulated in Table 3. Fig. 2 shows the behaviour of the $\mathrm{Si}-\mathrm{O}$ distances and $\mathrm{O}-\mathrm{Si}-\mathrm{O}$ angles within the $\mathrm{SiO}_{4}$ tetrahedron as well as the variation of the $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ angle in the pressure range up to $68 \times 10^{8} \mathrm{~Pa}$. For comparison, the values for $\beta$-quartz are also given in the diagram. The mean value of the $\mathrm{Si}-\mathrm{O}$ bond distance remains constant within the pressure range. The difference between the maximum and minimum values of these distances is not increased. Within the error limits, the $\mathrm{SiO}_{4}$ tetrahedron seems to be unchanged and (very) incompressible. A similar effect has been reported by Hazen (1976) for forsterite.

From these facts it follows that the distances between the oxygen atoms of each tetrahedron remain unchanged (these contacts represent the edges of a $\mathrm{SiO}_{4}$

* A list of structure factors has been deposited with the British Library Lending Division as Supplementary Publication No. SUP 34070 ( 5 pp.). Copies may be obtained through The Executive Secretary, International Union of Crystallography, 5 Abbey Square. Chester CH1 2HU, England.


Fig. 2. Variation of $\mathrm{Si}-\mathrm{O}$ distances, $\mathrm{O}-\mathrm{Si}-\mathrm{O}$ bond angles and $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ bond angle with pressure.

Table 3. $\mathrm{Si}-\mathrm{O}, \mathrm{O}-\mathrm{O}$ distances and $\mathrm{Si}, \mathrm{O}$ angles of $\alpha$-quartz in the pressure range up to $68 \times 10^{8} \mathrm{~Pa}$
The first four $\mathrm{O}-\mathrm{O}$ distances are edges of the $\mathrm{Si}-\mathrm{O}_{4}$ tetrahedron, the fifth is the shortest $\mathrm{O}-\mathrm{O}$ distance, which is no edge (n.e.) of the $\mathrm{SiO} \mathrm{O}_{4}$ tetrahedron.

|  | $\mathrm{Pa})$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0.001 | 19 | 37 | 54 | 60 | 68 |
| $\mathrm{Si}-\mathrm{O}$ | 1.62 (2) A | 1.60 (2) $\AA$ | 1.62 (2) A | 1.63 (3) $\AA$ | 1.63 (4) $\AA$ | 1.60 (3) $\AA$ |
| $\mathrm{Si}-\mathrm{O}^{\prime}$ | 1.62 (2) | 1.62 (1) | 1.60 (1) | 1.59 (2) | 1.62 (3) | 1.62 (2) |
| $\mathrm{O}-\mathrm{Si}-\mathrm{O}^{\prime}$ | $106.5(11)^{\circ}$ | 110.0 (7) $^{\circ}$ | $110.0(7)^{\circ}$ | $110.8(12)^{\circ}$ | $108.7(17)^{\circ}$ | $110.1(15)^{\circ}$ |
| $\mathrm{O}-\mathrm{Si}-\mathrm{O}^{\prime \prime}$ | 111.7 (6) | 111.2 (4) | 111.2 (4) | $110 \cdot 3$ (6) | 112.2 (9) | 111.6 (8) |
| $\mathrm{O}-\mathrm{Si}-\mathrm{O}^{\prime \prime \prime}$ | 109.2 (8) | 108.3 (5) | $107 \cdot 1$ (5) | 106.4 (8) | 106.6 (1-1) | 106.7 (9) |
| $\mathrm{O}^{\prime}-\mathrm{Si}-\mathrm{O}^{\prime \prime}$ | $109 \cdot 2$ (7) | 108.3 (5) | 107.1 (4) | 106.4 (7) | 106.6 (1.0) | 106.7 (7) |
| $\mathrm{O}^{\prime}-\mathrm{Si}-\mathrm{O}^{\prime \prime \prime}$ | 111.7 (7) | 111.0 (5) | 111.2 (4) | 110.3 (7) | 112.2 (1.0) | 111.6 (9) |
| $\mathrm{O}^{\prime \prime}-\mathrm{Si}-\mathrm{O}^{\prime \prime}$ | 108.7 (11) | 109.8 (9) | 110.4 (7) | $112 \cdot 6$ (13) | $110 \cdot 6$ (18) | $110 \cdot 3$ (15) |
| $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ | 142 (2) | 138.9 (11) | 135.7 (10) | 134 (2) | 131 (2) | 132 (2) |
| $\mathrm{O}-\mathrm{O}^{\prime}$ | 2.59 (3) ( $\AA$ ) | 2.60 (2) ( A ) | 2.66 (1) (太) | 2.68 (3) ( ( $)$ | 2.65 (4) (£) | 2.63 (3) ( $\AA$ ) |
| $\mathrm{O}-\mathrm{O}^{\prime \prime}$ | 2.67 (2) | $2 \cdot 66$ (2) | $2 \cdot 66$ (2) | 2.64 (3) | $2 \cdot 69$ (5) | $2 \cdot 67$ (3) |
| $\mathrm{O}-\mathrm{O}^{\prime \prime}$ | 2.64 (2) | 2.61 (2) | 2.59 (2) | 2.58 (3) | $2 \cdot 60$ (5) | 2.59 (4) |
| $\mathrm{O}^{\prime \prime}-\mathrm{O}^{\prime \prime \prime}$ | $2 \cdot 63$ (2) | $2 \cdot 65$ (2) | 2.63 (1) | $2 \cdot 65$ (2) | 2.66 (4) | 2.66 (3) |
| $\mathrm{O}-\mathrm{O}$ (n.e.) | $3 \cdot 30$ (2) | $3 \cdot 12$ (2) | 2.99 (1) | 2.93 (2) | $2 \cdot 85$ (4) | $2 \cdot 84$ (3) |

tetrahedron). This is shown in Table 3 and Fig. 3, where the values for $\beta$-quartz are also given. The only changes in the a-quartz structure under high hydrostatic pressure concern the arrangement of the $\mathrm{SiO}_{4}$ tetrahedra. These are indicated by the considerable changes in the $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ bond angle and the $\mathrm{O}-\mathrm{O}$ distances between the different tetrahedra, see Fig. 2 and Table 3. The torsion of the tetrahedra against each other is increased. There were no indications of an approximation of a more symmetrical arrangement of the tetrahedra as in $\beta$-quartz.

The connection between the $\mathrm{SiO}_{4}$ tetrahedra is similar for both the a-quartz and the $\beta$-quartz structures. The main difference between the two structures is


Fig. 3. $\mathrm{O}-\mathrm{O}$ distances in a-quartz. The word 'intra' means edges of the $\mathrm{SiO}_{4}$ tetrahedron and 'inter' no edge of a tetrahedron.
the higher space-group symmetry $P 6_{3} 22$ for $\beta$-quartz. The cross-section of the channels parallel to the $c$ axis is a perfect hexagon in $\beta$-quartz, considering only the Si atoms. In a-quartz it is slightly distorted. This difference can be demonstrated by the $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ angle. Fig. 2 shows the pressure dependence of this angle. With increasing pressure the difference between the $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ angles of the two quartz structures increases. Also the torsion [given by the tilt angle $\varphi$ (Megaw, 1973)] of the $\mathrm{SiO}_{4}$ tetrahedra about the $a$ axis becomes larger. This is shown in Fig. 4 by the pressure and temperature dependence of this tilt angle $\varphi$. Generally, we can say that the structural difference between $a^{-}$ quartz and $\beta$-quartz becomes more evident with increasing pressure.

This agrees with Hazen (1977) who found an 'inverse relationship' between thermal expansion and


Fig. 4. Pressure and temperature dependence of the tilt angle $\varphi$ of the $\mathrm{SiO}_{4}$ tetrahedra about the $a$ axis.
compression. A first indication of this effect was given by the change of the $c / a$ ratio which increases in the pressure range up to $73 \times 10^{8} \mathrm{~Pa}$, while at increasing temperature the $c / a$ ratio decreases to reach the value for $\beta$ - or high-quartz at 846 K (Smith, 1963).

Fig. 5 shows a view along the trigonal axis with the arrangement of the tetrahedra and the cross-sections through the channels which are parallel to the $c$ axis. The dotted lines show how the cross-section of the channels changes under increased pressure; it becomes smaller. This explains why under pressure the $c / a$ ratio increases and the $a$ lattice constant decreases much more than the $c$ lattice constant. Perpendicular to the $c$ axis the structure responds to increased pressure by


Fig. 5. View along the $c$ axis, which shows a cross-section through the channels (parallel to the $c$ axis). The broken line represents the change of the channel cross-section with increased pressure.


Fig. 6. Schematic drawing of a line (given in Fig. 5 by a dotted line) of linked tetrahedra which is parallel to the $a$ axis and its change with increased pressure.
narrowing the channels. The compression of the socalled 'helices' of the $\mathrm{SiO}_{4}$ tetrahedra parallel to the $c$ axis appears to be more difficult.

Fig. 6 shows the deviation of a line of linked tetrahedra from a straight line parallel to the $a$ axis. The deviation of the tetrahedra from this line increases with pressure.

The pressure-volume relation can be represented by a Birch equation of state (Birch, 1947).

$$
p(x)=\frac{3}{2} B_{0}\left[x^{7 / 3}-x^{5 / 3}\right]\left[1-\frac{3}{4}\left(4-B_{0}^{\prime}\right)\left(x^{2 / 3}-1\right)\right]
$$

$x=V_{0} / V ; B_{0}, B_{0}^{\prime}$ isothermal bulk modulus and its pressure derivative at normal pressure.

The solid line in Fig. 1(c) corresponds to a leastsquares fit of the Birch equation (Syassen \& Holzapfel, 1978). The results

$$
B_{0}=365(9) \times 10^{8} \mathrm{~Pa} \quad B_{0}^{\prime}=5.9(4)
$$

are in good agreement with the values given by McSkimmin, Andreatch \& Thurston (1965), $B_{0}=374$ $\times 10^{8} \mathrm{~Pa}, B_{0}^{\prime}=6.3$ from their ultrasonic measurements.

## Conclusions

Single-crystal structure investigations on a-quartz under high hydrostatic pressure up to $73 \times 10^{8} \mathrm{~Pa}$ showed no phase transformation, only a continuous compression. The volume decreases in this pressure range by about $13 \%$. The c/a ratio increases from 1.097 to 1.125 ; this means there is no tendency to reach the theoretical value of 1.0981 for tetrahedra with exact $\overline{4}$ symmetry. The $\mathrm{Si}-\mathrm{O}$ bond angles and distances of the tetrahedron itself remain constant, i.e. the $\mathrm{Si}-\mathrm{O}$ tetrahedron is very incompressible. Only the torsion of the tetrahedra against each other is increased. So the $\mathrm{Si}-\mathrm{O}-\mathrm{Si}$ angle decreases from 142 (atmospheric pressure) to $132^{\circ}\left(68 \times 10^{8} \mathrm{~Pa}\right)$. Obviously, the large open channels parallel to the $c$ axis, which are typical of the quartz structure, respond to the pressure much better by decreasing their crosssection than do the helices of the $\mathrm{SiO}_{4}$ tetrahedra along the $c$ axis.

The calculated values for the bulk modulus $B_{0}$ and its pressure derivative $B_{0}^{\prime}$ are in good agreement with the results from ultrasonic measurements.

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# Détermination de la Structure Cristalline de $\mathrm{EuGa}_{2} \mathbf{S}_{4}$ 

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#### Abstract

$\mathrm{EuGa}_{2} \mathrm{~S}_{4}, M_{r}=419 \cdot 5$, is orthorhombic, space group Fddd with $a=20.727$ (7), $b=20.454$ (6), $c=$ $12 \cdot 197$ (2) $\AA, Z=32, D_{m}=4 \cdot 2, D_{x}=4.3 \mathrm{Mg} \mathrm{m}^{-3}, V$ $=5171 \AA^{3}$. The structure was solved by direct methods with MULTAN 76 and refined by full-matrix leastsquares calculations to $R=0.076$ for 966 observed reflexions. The Eu atoms have an eightfold coordination, and the Ga a fourfold coordination.


## Introduction

Les chalcogénures ternaires de formule générale $A B_{2} X_{4}$ où $A, B$ sont des cations et $X$ représente $\mathrm{S}, \mathrm{Se}$ ou Te , forment un nouveau groupe de composés de structures cristallines diverses dont les propriétés physiques dépendent de la nature des cations. Nitsche (1975), dans un article de synthèse sur les composés ternaires, donne un aperçu des propriétés possibles de cette famille de minéraux. Le ternaire de formule $E u \mathrm{Ea}_{2} \mathrm{~S}_{4}$ a été synthétisé pour la première fois par Eholié, Gorochov, Guittard, Mazurier \& Flahaut (1971).

Ces auteurs proposent comme groupe spatial Bbmm et obtiennent à partir de réflexions indexées sur un
diagramme de poudre les paramètres cristallins suivants: $a=10,21, b=10,36$ et $c=6,094 \AA$.

Peters \& Baglio (1972) donnent le diagramme de poudre aux rayons X d'une série de produits photoluminescents dopés à l'europium et confirment l'existence du ternaire $\mathrm{EuGa}_{2} \mathrm{~S}_{4}$ cristallisant dans le système orthorhombique. Ils attribuent un nouveau groupe spatial $F d d d$ ainsi que de nouveaux paramètres cristallins: $a=20,716, b=20,404, c=12,200 \AA$.

Donohue \& Hanlon (1974) préparent une série de ternaires de formule $A B_{2} X_{4}$ dont le composé qui nous intéresse et indiquent certaines de ses propriétés physiques: point de fusion, ordre de grandeur de la résistivité électrique, etc. Ils proposent à nouveau les paramètres cristallins donnés par Eholié et al. (1971).

Aliev, Kurbanov, Rustamov, Alidzhanov \& Salmanov (1976) publient les courbes de variation thermique de la conductivite, du pouvoir thermoélectrique et du coefficient d'effet Hall des composés Eu $B_{2} X_{4}$ avec $B=\mathrm{Ga}$ ou Al , et $X=\mathrm{S}$, Se ou Te. Ces auteurs donnent également les paramètres cristallins de Eholié et al. (1971).

Le diagramme de phase quasi-binaire EuS- $\mathrm{Ga}_{2} \mathrm{~S}_{3}$ décrit par Barnier \& Guittard (1976) met en évidence des phases vitreuses pour des compositions voisines de $\mathrm{EuS}+\mathrm{Ga}_{2} \mathrm{~S}_{3}$.
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